

Last Time: What Transitions Are Possible?

Today: What Can We Determine From Line Strength?

- measuring line strength
- luminosity in a line; number of absorbers in beam
- abundance, temperature, and density

Wednesday: What Can We Determine From Line Profiles?

- lifetime of level
- physical conditions (e.g. local gravity)
- systematic and random motions
- number of absorbers

Spectroscopic “Terms” and Terminology

- “term” $(2S+1)L_J$
 - $S = \sum m_s$, $L = \sum l$ and $J = L + S$ (vector sums)
 - $(2S+1)$ gives “multiplicity of state”
 - use same letters for L (but capitalized: SPDF)
- L-S (spin-spin + orbit-orbit coupling) selection rules:
 - $\Delta S = 0$
 - $\Delta L = -1, 0, 1$
- $\Delta J = -1, 0, 1$ (but not $J=0$ to $J=0$)
- in heavier atoms ($Z > 30$), jj coupling (spin-orbit)

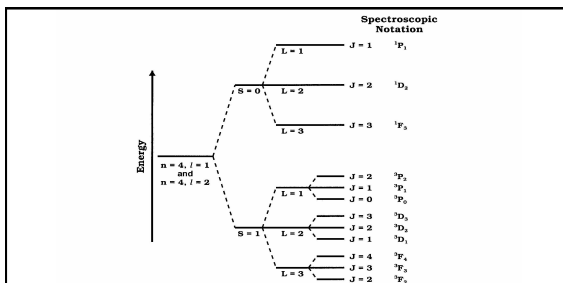
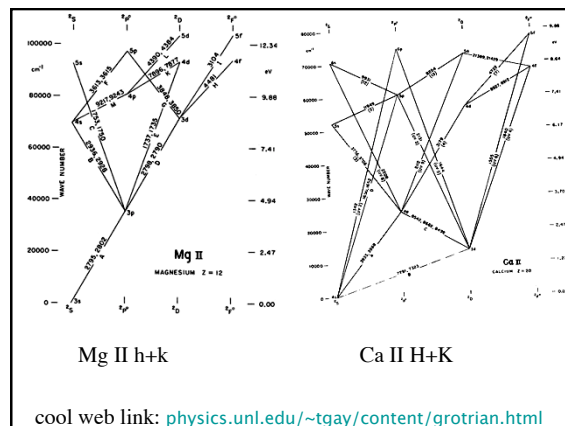


Figure I-6: Hund's rules demonstration: Example of energy splitting in the LS coupling scheme.

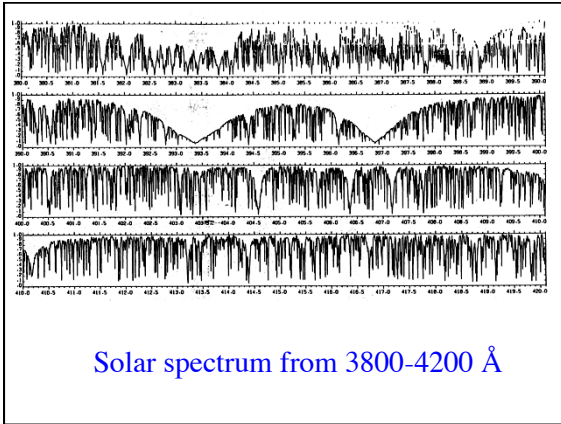
higher S & higher L for same S \rightarrow lower E
 higher J \rightarrow higher E if shell $< 1/2$ full; else lower E

- **Resonance Line** (e.g. Ca II $\lambda 3934$): “allowed” transitions involving ground state
- **Semi-Forbidden Line** (e.g. C II $\lambda 2325$): ΔS or ΔL violated
- **Forbidden Line** (e.g. [O III] $\lambda 5006$): ΔS and ΔL violated
- **Metastable state**: no “allowed” connection to ground \rightarrow very long lifetimes (recall $\Delta E \Delta t \sim h_p$)

- **Intersystem (or Intercombination)**: transitions within subshell; never “allowed”, but often diagnostic (e.g. O III] $\lambda 5006$ - nebular line)
- **Fine Structure**: transitions within ground state multiplet (always forbidden)
- **Hyperfine lines**: electron spin flip (e.g. 21 cm line)
- [note: vacuum v. air wavelengths]
- Grotrian diagrams...



cool web link: physics.unl.edu/~tgay/content/grotrian.html



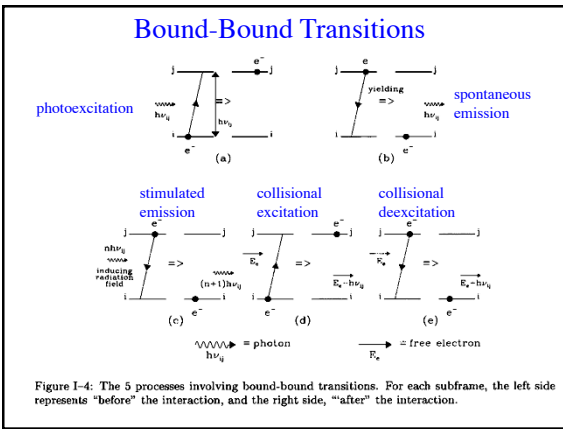
What Can We Determine From Line Strength?

- Elemental *Abundances*
 - relative to Hydrogen
- Local electron *Density*
- Local *Temperature*
- Relative strengths -> relative probability of transitions + population of levels (n, T)

ned.ipac.caltech.edu/level5/Ewald/Grotrian/grotrian.html

Luminosity in a Line (e.g Ly α)

- L_ν (erg/s) = transitions/sec * Energy of transition
 - $\Delta E = (E_2 - E_1) = h\nu = hc/\lambda$
 - transitions per second = N_2/τ_2
 - where τ_2 = lifetime of excited state
 - and N_2 = # of electrons in excited state
- $N_2/V = n_2$ $N_H/V = n_H$
 - $N_2 = N_H(n_2/n_1) = n_H V (n_2/n_1)$
 - so it reduces to finding (n_2/n_1)
 - in thermal equilibrium, this is easy!
- Boltzmann distribution of level populations...



Bound-Bound Rate Coefficients

(see 4.3.5 in LeBlanc)

- Excitation
 - B_{12} (photoexcitation)
 - C_{12} (collisional excitation)
- De-Excitation
 - A_{21} (spontaneous emission) s^{-1}
 - B_{21} (stimulated emission)
 - C_{21} (collisional de-excitation)
- B depends on mean intensity of radiation field, J_ν
- C depends on density of colliders (mostly n_e) and kinetic temperature