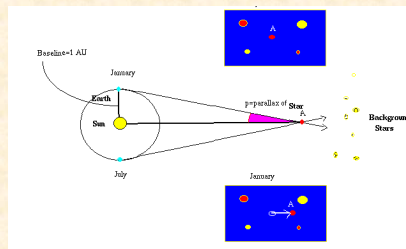


- **LAST TIME:** Finish Basic Motions & Cycles
 - precession, nutation
 - position measurements
 - stellar catalogs
- **TODAY: Cataloging Stellar Properties. II.**
 - Parallax and Proper Motion
 - Apparent Brightness and Luminosity
 - Colors and Temperature
- **MONDAY: Cataloging Stellar Properties. III.**
 - Spectroscopic Properties
 - Spectral Classification

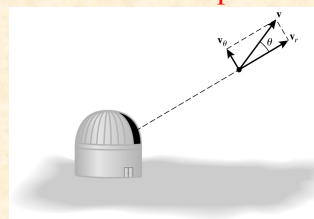
Parallax



- notice that for small angles, $\tan p \sim p$
- 1 parsec = distance to an object with a parallax of 1 arc-sec
- parallaxes are referenced to a baseline of 2 A.U., but you can observe with a smaller baseline
- nearest star has a parallax of less than 1 arc-sec ($d > 1$ pc)

- **Before Hipparcos**
 - Gliese (Wooley) catalog of all stars within 25 pc
 - “volume-limited” sample
 - mostly M stars
 - had some glaring errors
- **Hipparcos**
 - goal 100,000 stars to better than 0.002 arc-sec
 - achieved >100,000 at ~ 0.001 arc-sec
 - 0.001” \rightarrow 1000 pc
 - brighter stars out to this distance
 - fainter stars only to ~ 100 pc

Proper Motion



- $\Delta\theta$ usually given as μ :

$$\mu = \{(\mu_\alpha \cos \delta)^2 + (\mu_\delta)^2\}^{1/2}$$
 units: arc-sec/year
- Note that: $v_t = \mu d$
- Barnard's Star: 10.3 "/y
- component of true velocity vector projected onto the “plane” of the sky
- transverse velocity not measured directly; only change of angular position with time (i.e. angular velocity)
- to get true space velocity, also need radial velocity and distance

Doppler Shifts

- **Doppler shift:** $\Delta\lambda = \lambda_{\text{obs}} - \lambda_{\text{pred}}$ (can be + or -)
 - + \Rightarrow redshift (relative motion away from us)
- **Radial velocity:** $v_r/c = \Delta\lambda/\lambda_{\text{pred}}$
- **Observed v. True Radial Velocity:**
 - Earth rotational velocity (~ 0.5 km/s)
 - Earth orbital velocity (~ 30 km/s)
 - Sun's velocity (speed and direction) !!
 - How the heck do we know that???
 - From statistical studies of many stars v_r
 - “Local Standard of Rest”

Space Velocity

- **LSR motion:**
 - 16.5 km/s
 - $l = 53^\circ$ (galactic longitude)
 - $b = 23^\circ$ (galactic latitude)
 - ISM seems to flow in from this direction \rightarrow Doppler shifts of ISM lines
- **Vector sum of proper motion (expressed in km/s) and radial velocity**
 - can give us a sense of galactic dynamics if we can get out far enough (several types of orbits)
 - Pop I v. Pop II stars

4. Apparent Brightness and Flux

- **Luminosity** is the total power output. It can be measured in Watts (Joule/sec). In astronomy, we usually use erg/sec (1 Joule = 10^7 erg).
- Stars radiate approximately the same amount in all directions (“isotropic”). This energy propagates at the speed of light, and the total amount is conserved as it travels through space.
- But it spreads out over an ever larger surface, with an area $4\pi d^2$, where d is the distance away from the star.
- A flow through a surface : “flux” [units always per unit area]
- This is what we actually measure to determine the “Apparent Brightness”.

- The **surface flux** at the star is $L/(4\pi R^2)$, where R is the radius of the star. Units are usually given as erg/s/cm².
- **Apparent brightness** is flux at distance, d : $L/(4\pi d^2)$.
- Therefore, if we want to know the *total energy generated* by a star, we need to measure both the APPARENT BRIGHTNESS and the DISTANCE to the star.
- For stars with measured parallax, we know the distance.
- The total energy received from the star also depends on the area of the detector you use (e.g. a large telescope collects more light than your eye does).

Apparent Brightness

- Recall that apparent brightness depends on distance and the detector area. It also depends on the detector *sensitivity* (and spectral response).
- How do we put everything onto a common scale of W/m²?
- Being astronomers, we don’t. But we have to have something that we can all agree on. Rather than conforming to SI, we have instead taken the old irrational system of **APPARENT MAGNITUDE (m)** and “standardized” it.

Apparent Magnitude

- Based on visual system of Hipparchus. He categorized all the visible stars into 6 classes, with “first magnitude” being the brightest and “6th magnitude” being the faintest.
- We’ve quantified this such that a change of 1 magnitude corresponds to a fixed fractional change. For example, two stars differing by 5 magnitudes differ by a factor of 100 in brightness (i.e. flux): $F_2/F_1 = 100^{(m_1 - m_2)/5}$.
- A difference of 1 magnitude corresponds to $100^{1/5} \sim 2.512$ in flux.

- The brightest object in the sky has an apparent magnitude of about -27. The faintest things we can see have a magnitude of about 31. That’s a range in brightness of $100^{58/5} \sim 10^{22}$!!
- Notice that this scale is purely relative (not absolute) and dimensionless. Fractional changes in brightness (ratios) --> differences in magnitude (log brightness); Need a zero point...
- Relative to what? Vega (m=0; sort of)

5. Luminosity

- Since we’ve mucked up the apparent brightness (flux) scale, we’ll need a similar scale for true brightness. We define **ABSOLUTE MAGNITUDE (M)** as the apparent magnitude a star would have if it were 10 parsecs away. This makes it a dimensionless measure of luminosity.
- It is not measured directly, just inferred from the apparent magnitude and distance.
- **Distance Modulus**: (proof left as homework)
$$m - M = 5 \log(d/10pc)$$

- Example. If the Sun were 10 pc away, instead of appearing at $m=-27$, it would appear to be a star with $m=4.76$.
- Like apparent magnitude, a difference of 5 in absolute magnitude corresponds to a difference of 100 in Luminosity.
- Example. Solar Luminosity = 4×10^{33} erg/s. A star with an absolute magnitude of -0.24 has a luminosity of 4×10^{35} erg/s.
- Why is luminosity an important # to know?