Lec #9: 12 SEP 11 Magnitudes and Brightness; Color and Temperature

- LAST WEEK: Catalogs, Astrometry, Photometry
 Apparent Brightness and Luminosity
 - The Magnitude Scale
- TODAY: Color & Temperature
 - Color & Color Indices
 - Introduction to Spectroscopy
 - Effective Temperature
 - Wien's law; Stephan's law
- Wednesday: Spectral Classification

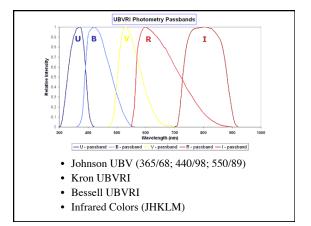
 Planck Distribution (Blackbody Radiation)
 - Classifying Stars by their low-resolution spectra

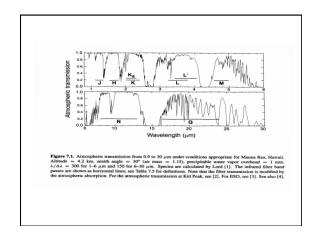
5. Color

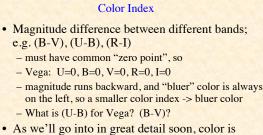
an Observatory

- With our eyes, we can tell that stars have a range of colors.
- Colors are more prominent in a telescope, but only because the light is brighter.
- Qualitatively, color tells us very little. How can we quantify it?

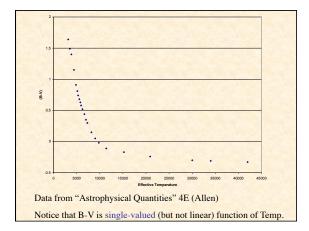
- What affects color between star and us? – <u>independent of distance</u>, except for ...
 - interstellar reddening (ignore for now)
 - atmospheric extinction
 - atmospheric refraction and scattering
 - color response of optics
 - color response of detector (or our eye)
- Most detectors have broad (but not linear) color response. Need to define a wavelength (or range of wavelengths) corresponding to each color AND calibrate response of sky, telescope, and detector.

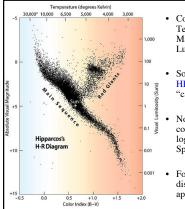






- As we if go into in great detail soon, color is related to the surface temperature of stars.
 – hotter stars -> bluer
- warning: visual perception only works over a very limited temperature/color range



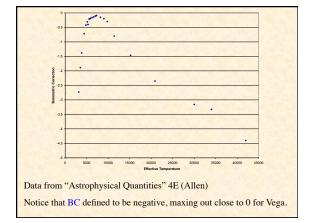


- Color is a proxy for Temperature. Absolute Magnitude measure of Luminosity.
- So we can now construct an HR Diagram from our "catalog".
- Note that x-axis is continuous and linear (on a logarithmic scale), unlike Spectral Type HR diagram
- For a cluster (all stars same distance), we can even use apparent magnitude.

6. Bolometric Brightness

- Total ("bolometric") brightness is the integrated flux over all wavelengths. That should include from 0 to infinity (gamma ray to radio). How in the world can we know this unless we measure the complete spectrum using telescopes in space, radio telescopes, etc? We can't, but most of the light from most stars is visual/IR. How do we combine UBVRIJHKLM?
- Define a "bolometric magnitude" (both apparent and absolute) for all stars:

"Bolometric Correction" = M_{bol} - M_V

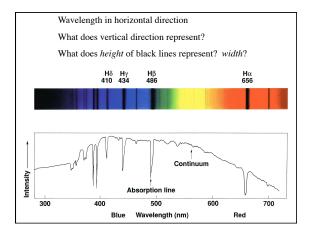


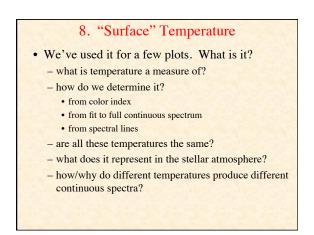
Measuring Fundamental Parameters

- ✓ Unique Identification
- ✓ Position "on" the sky
- ✓ Distance (from parallax)
- ✓ Proper Motion --> (transverse velocity)
- ✓ Radial Velocity --> (space velocity)
- ✓ Apparent Brightness; Apparent Magnitude
- ✓ Luminosity; Absolute Magnitude
- ✓ Color
- 8. Temperature
- 9. Rotational Velocity
- 10. Mass
- 11. Radius

Stellar Spectra (Intensity v. Wavelength)

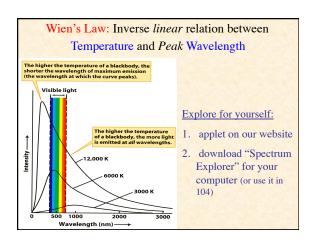
- · Color has something to do with "temperature"
- To go further, we need to break "color" up into a spectrum of colors: intensity v. wavelength
- This introduces not just an additional constraint, but a whole new *dimension* of observational *constraints*
- How do we do that?
 - ✓ selective absorption (e.g. narrow-band filters)
 - refraction (transmission)
 - diffraction (transmission and reflection)
- calorimeter



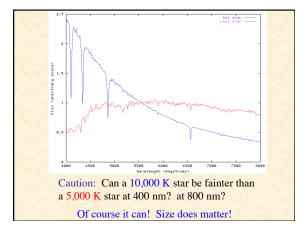


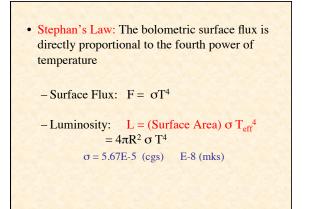
1. What do we know?

- Solid or dense materials emit electromagnetic radiation characterized by their temperature above absolute zero.
- They emit at ALL wavelengths.
- The distribution of intensity v. wavelength always has a similar *functional form*, but...
 The peak and amplitude of the distribution are functions of Temperature



- Can't remember the constant of proportionality? Remember the solar values instead! (5000 Å)*(5800 K) = Wien's constant
- A higher temperature object emits more light at EVERY wavelength than a lower temperature object (of the same size)
 - warning: what is wrong with the following figure...





- 2. The Planckian Brightness Distribution
- The functional form of intensity v. wavelength exactly matches an analytic expression...

$$\begin{split} B_{\lambda}(T) &= 2hc^{2}/\lambda^{5} \ [e^{hc/\lambda KT} - 1]^{-1} \ erg/s \ cm^{-2} \ Å^{-1} \ sr^{-1} \\ \text{or...} \\ B_{\nu}(T) &= 2h\nu^{3}/c^{2} \ [e^{h\nu/KT} - 1]^{-1} \ erg/s \ cm^{-2} \ Hz^{-1} \ sr^{-1} \end{split}$$

• We'll worry more about the angular distribution later. For now, the observed flux is

 $f = \pi B \text{ erg/s cm}^{-2} \text{ Å}^{-1}$